

Dealing with various sources of uncertainty in the operational control of water systems using ensemble based MPC with convex optimization

Acknowledgements:

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HS3.3 is scheduled for a live chat on
Thursday, 07 May 2020, 08:30-10:15.

HS4.4

Ensemble and probabilistic hydro-meteorological forecasts: predictive uncertainty, verification and decision making

Convener: Albrecht Weerts | Co-conveners: Shaun Harrigan^{ECS}, Schalk Jan van Andel, Fredrik Wetterhall, Jan Verkade, Kolbjorn Engeland

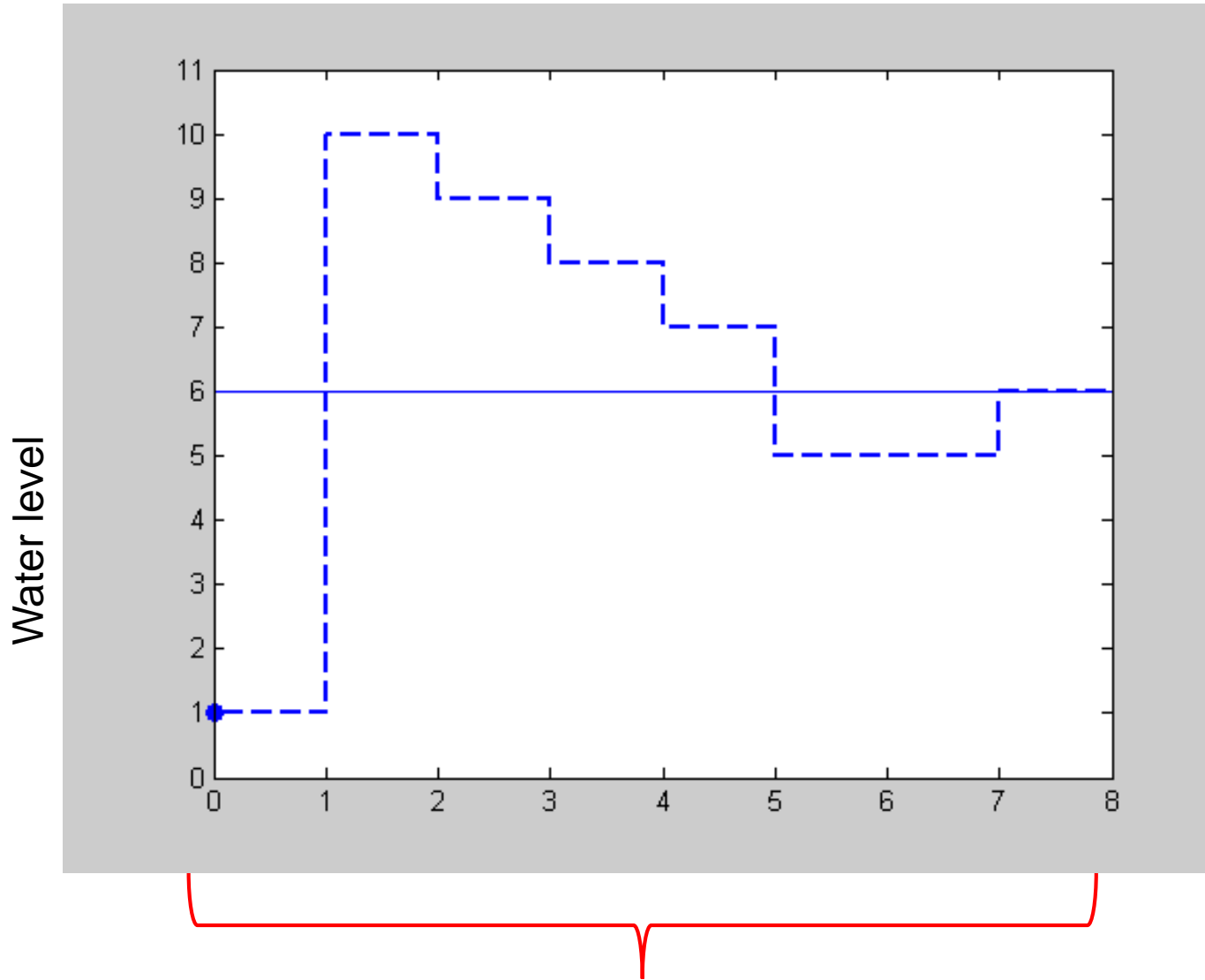
[Displays](#)

| Chat Fri, 08 May, 08:30–12:30

EGU2020-19132

Comparison of model predictive control methods that can account for uncertainties in forecasts of flood discharge and storm surge; case study Volkerak-Zoommeer, the Netherlands by Maarten Smoorenburg et al.

Predictive Control



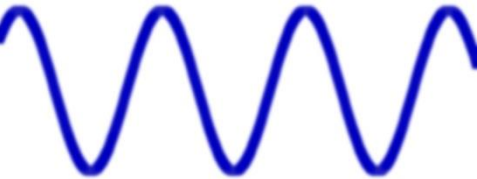
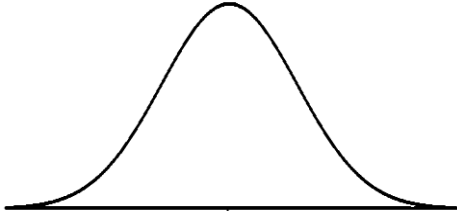
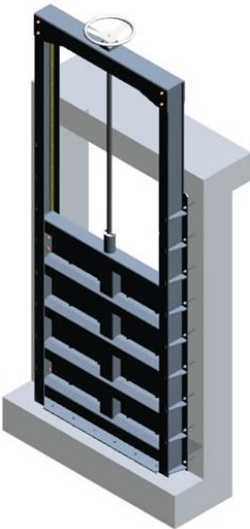
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Prediction horizon

Time (sampling instants)



Water system



Deltares



Water system



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$$\frac{V(k+1) - V(k)}{\Delta t} = Q_{in}(k+1) - Q_{out}(k+1)$$

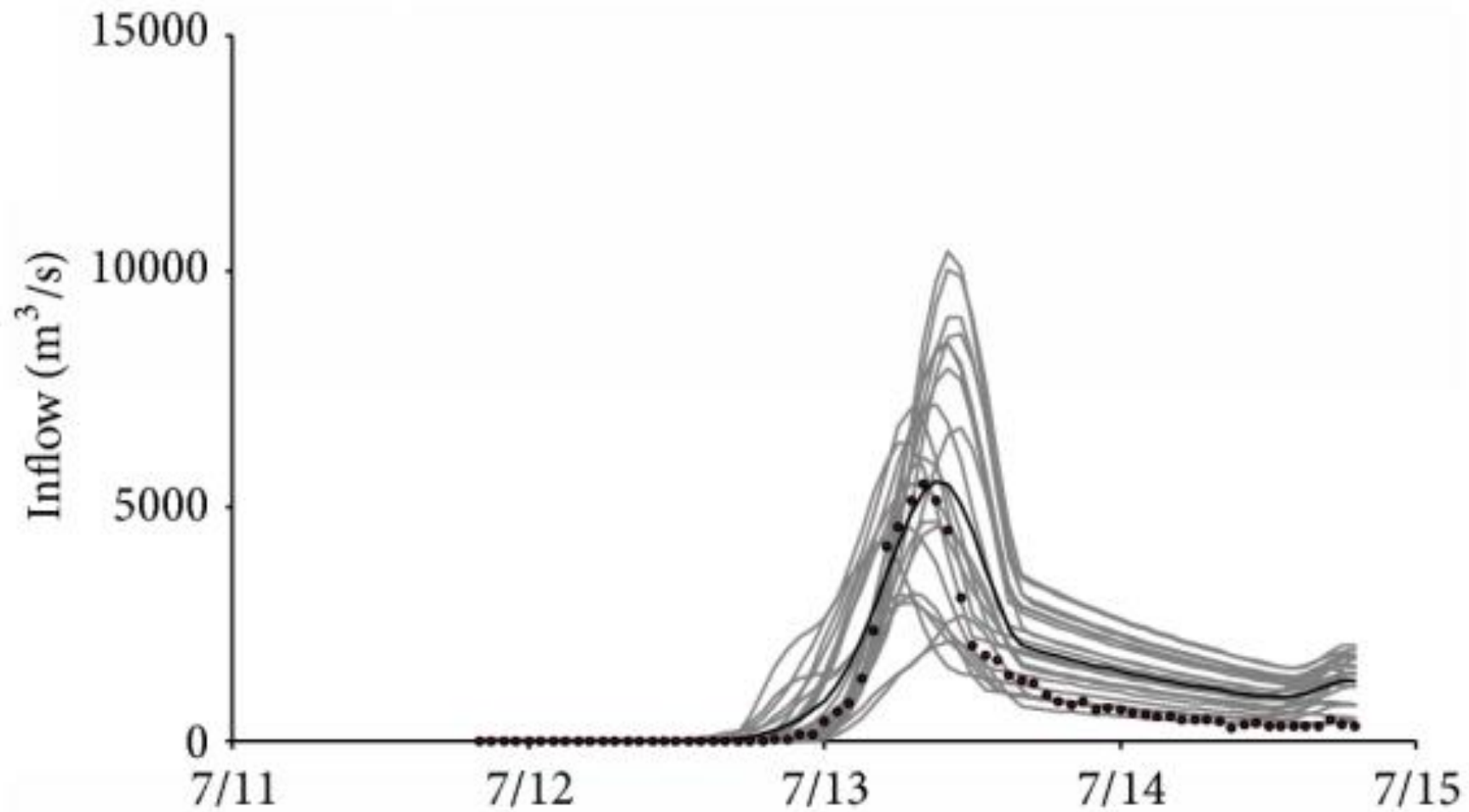
$k=0, \dots, \lambda$

$V(0)$ initial condition

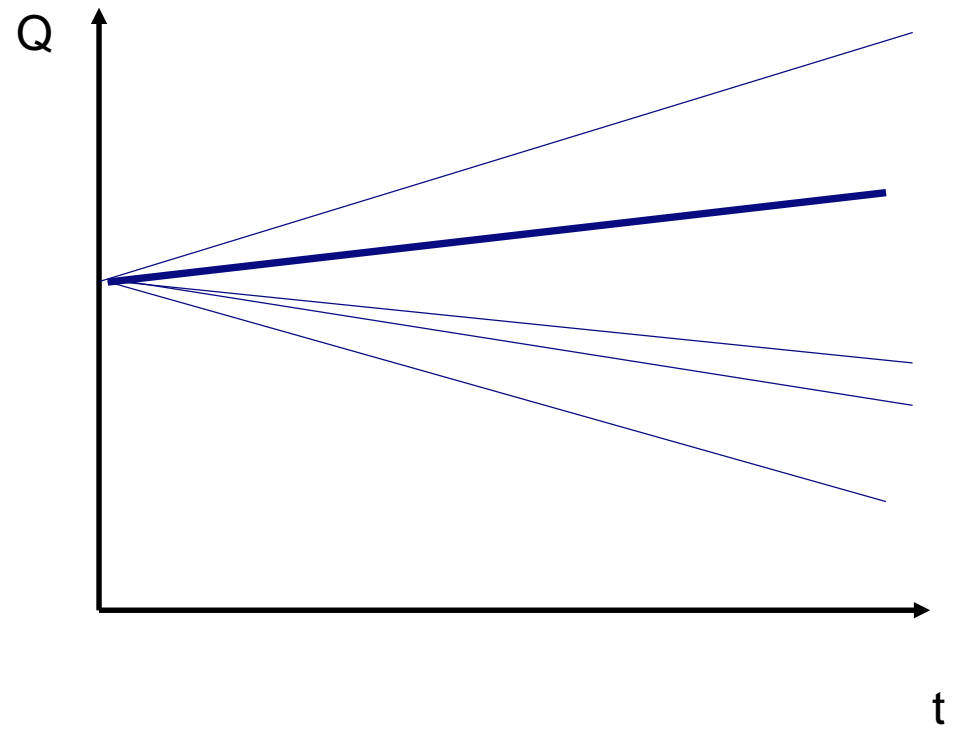
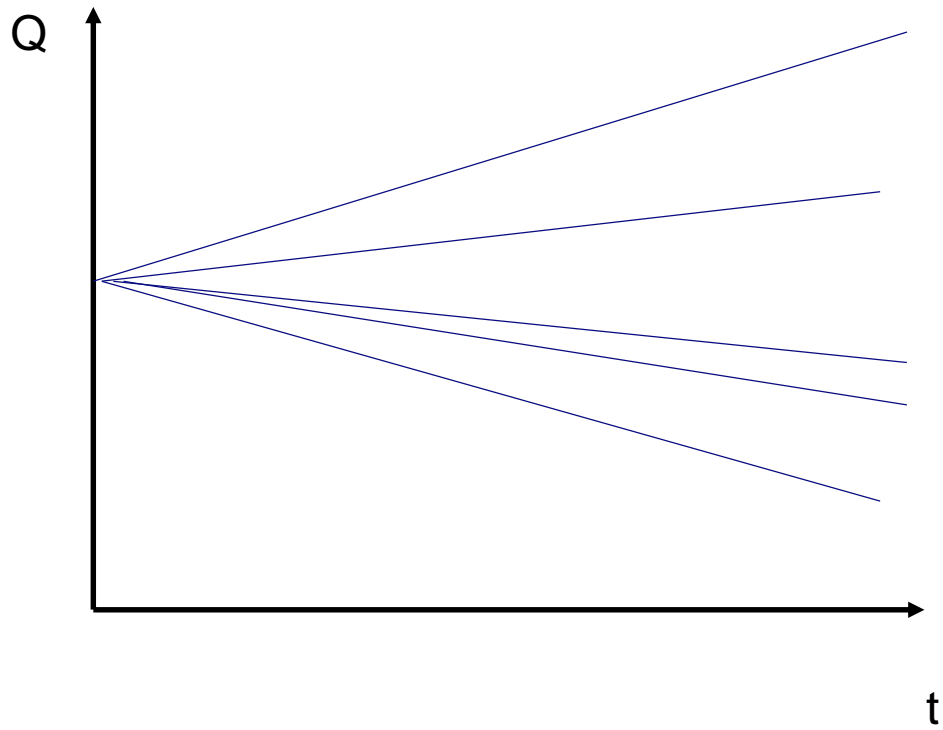
$Q_{in}(k)$: boundary condition

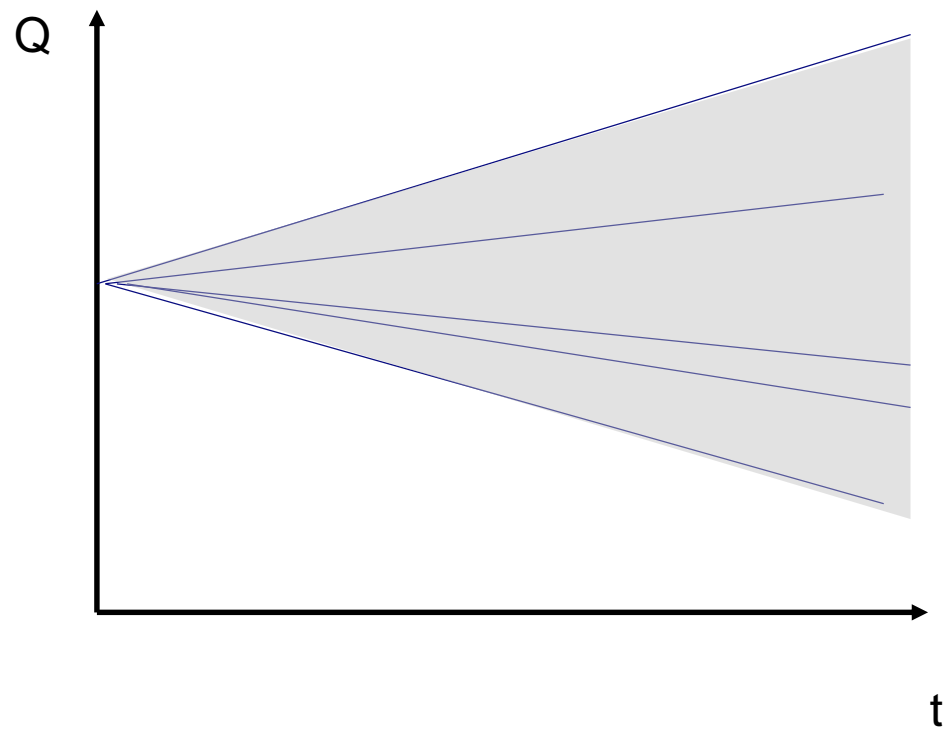
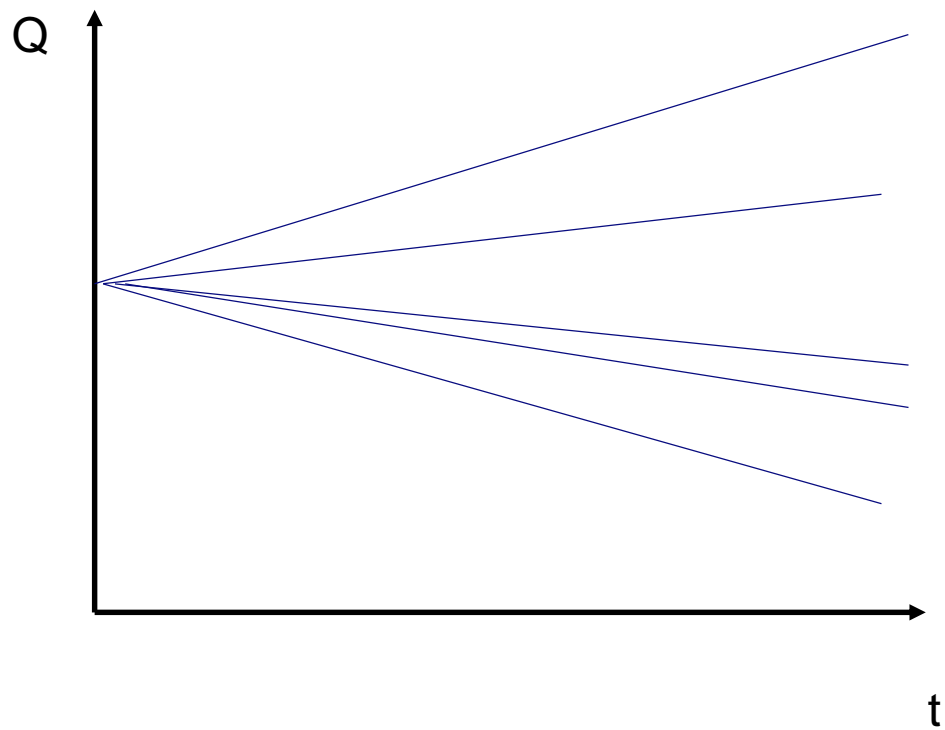
$Q_{out}(k)$: ?

$V_{\min} < V(k) < V_{\max}$



— Individual member • Observation
— Ensemble-mean





$$\frac{V(k+1) - V(k)}{\Delta t} = Q_{in}(k+1) - Q_{out}(k+1) \quad k=0, \dots, \lambda$$

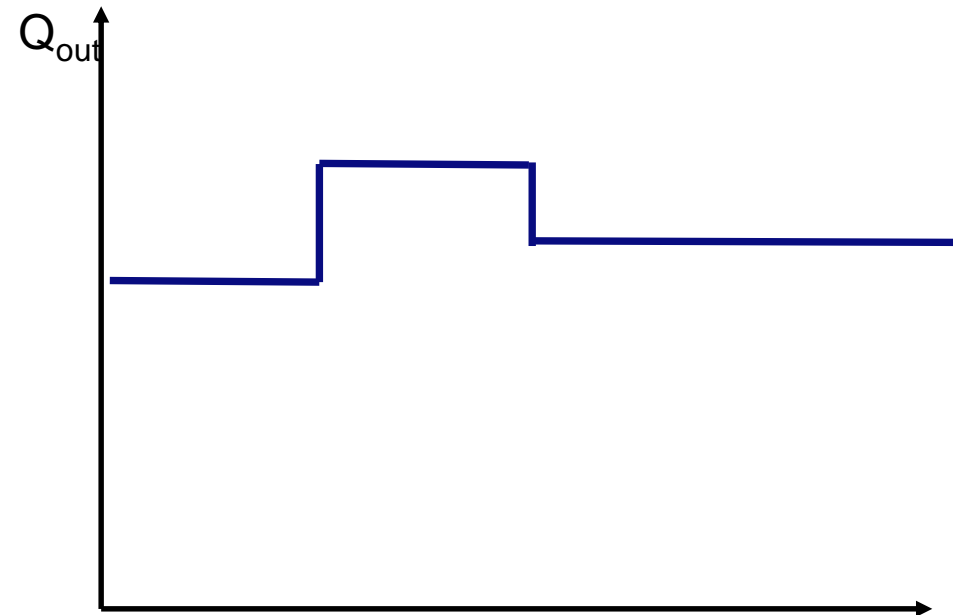
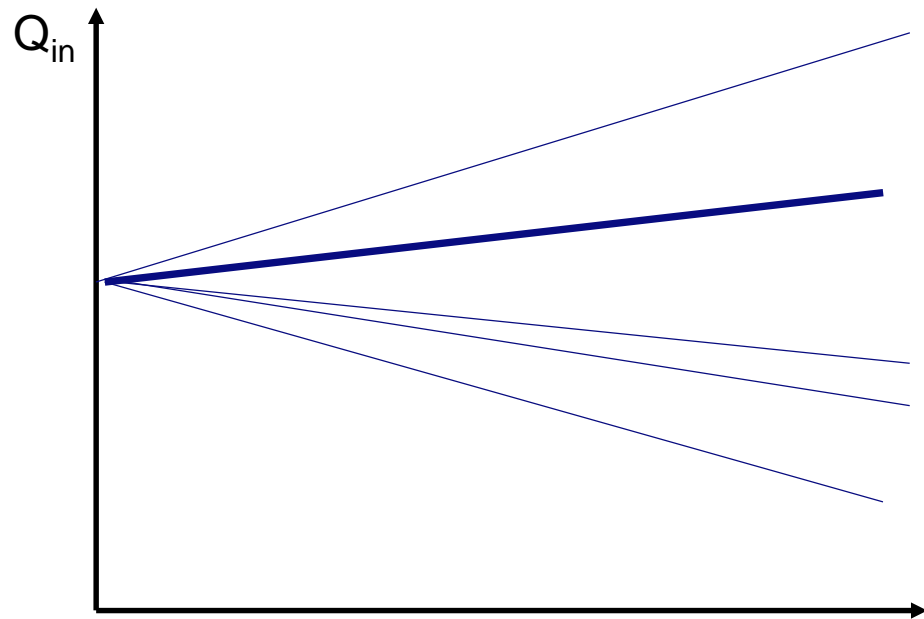
$k=0, \dots, \lambda$

$V(0)$ initial condition

$Q_{in}(k)$: boundary condition

$Q_{out}(k)$: ?

$$V_{min} < V(k) < V_{max}$$



$$\frac{V(k+1) - V(k)}{\Delta t} = Q_{in}(k+1) - Q_{out}(k+1) \quad k=0, \dots, \lambda$$

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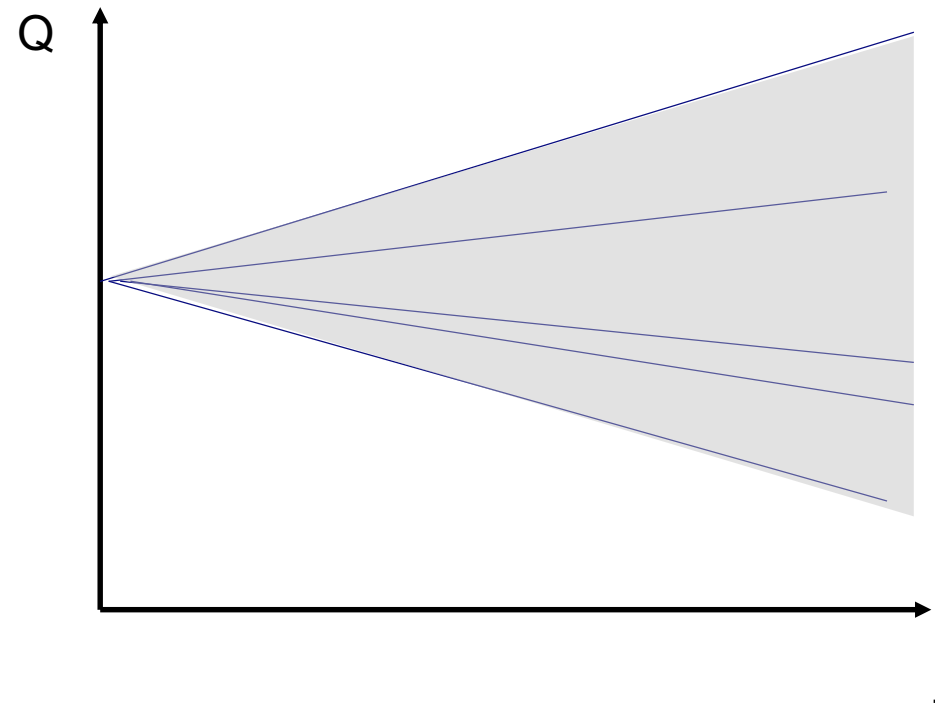
$$\frac{V^{e1}(k+1) - V^{e1}(k)}{\Delta t} = Q_{in}^{e1}(k+1) - Q_{out}(k+1)$$

$$V_{\min} < V^{e1}(k) < V_{\max}$$

Number of equations: $e \times \lambda \times 3$

Ensemble: $e1, e2, \dots, ee$

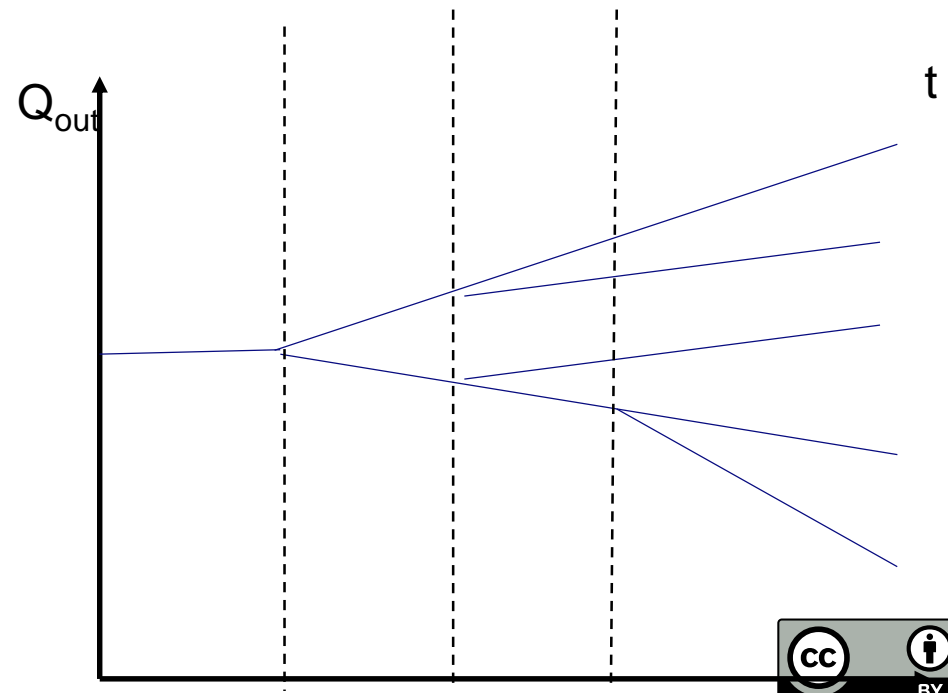
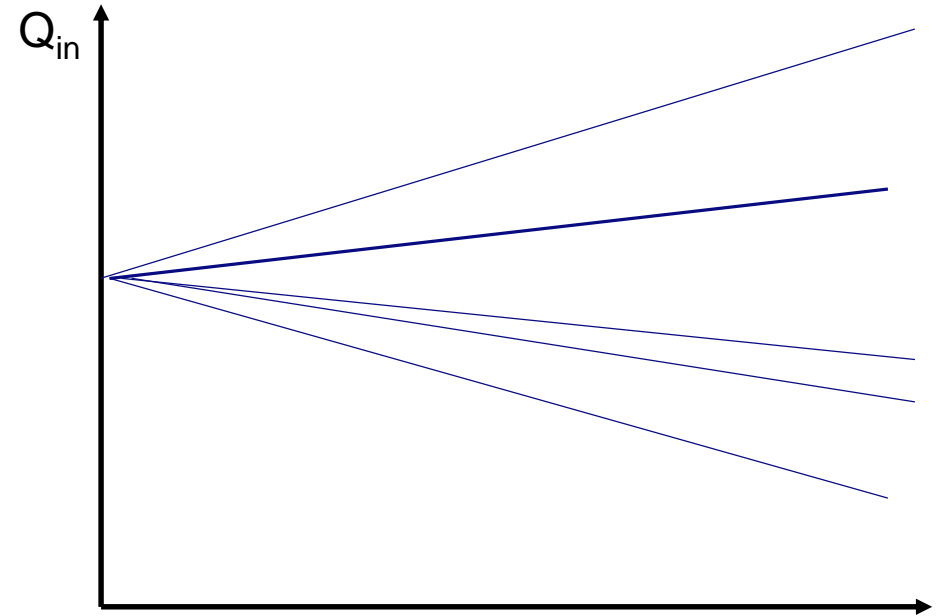
Deltares

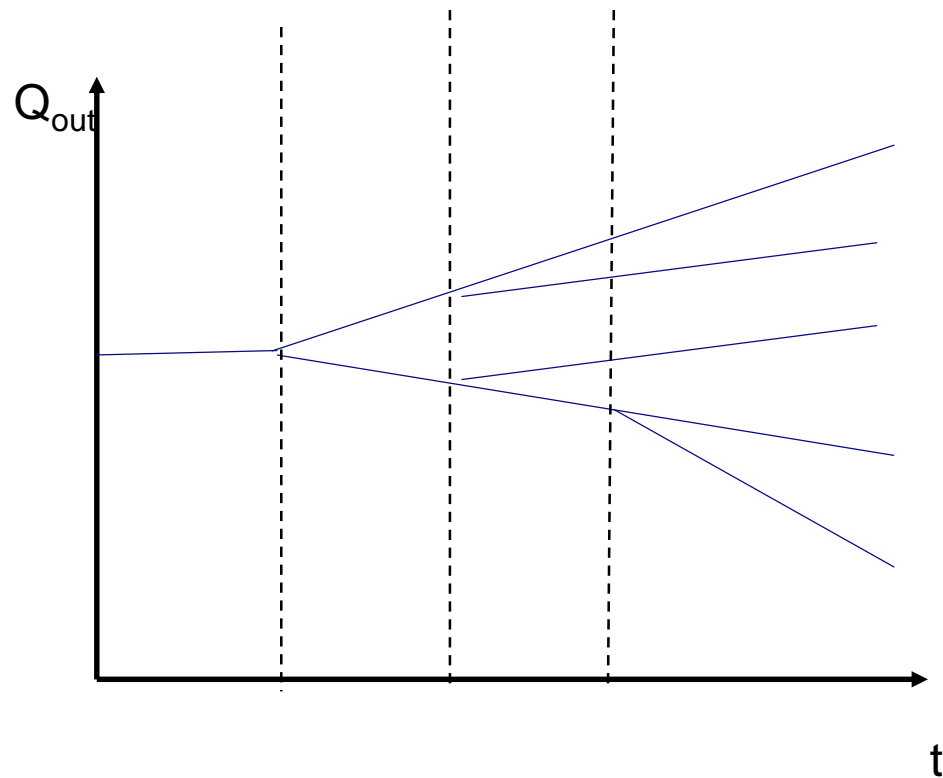




Raso, Luciano, et al. "Tree-scenario based model predictive control." *EGU General Assembly Conference Abstracts*. Vol. 12. 2010.

Raso, Luciano. "Optimal control of water systems under forecast uncertainty: robust, proactive, and integrated." (2013). **Deltares**





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$$\frac{V^{e1}(k+1) - V^{e1}(k)}{\Delta t} = Q_{in}^{e1}(k+1) - Q_{out}^{e1}(k+1)$$

$$V_{\min} < V^{e1}(k) < V_{\max}$$

$$Q_{out}^{e1}(1) = Q_{out}^{e2}(1)$$

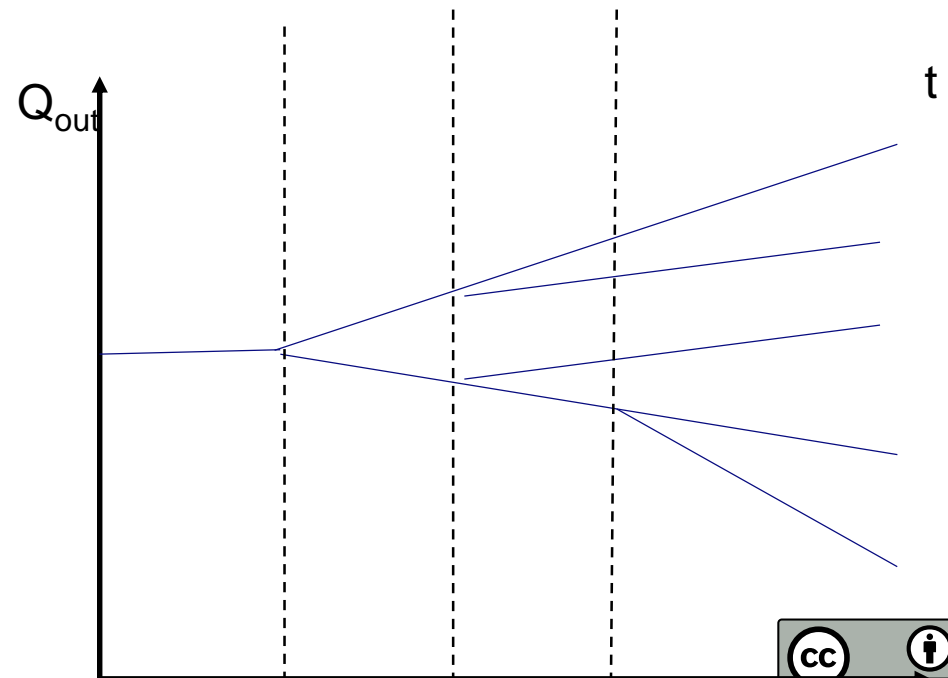
$k=0, \dots, \lambda$

$V(0)$ initial condition

$Q_{in}(k)$: boundary condition

$Q_{out}(k)$: ?

$$V_{\min} < V(k) < V_{\max}$$



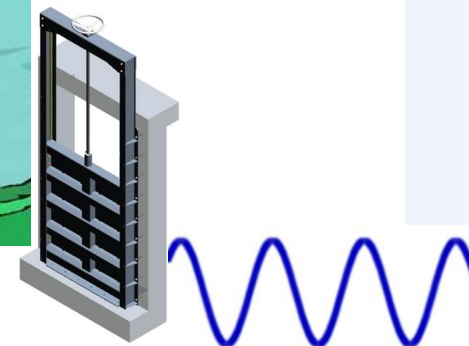
12 time steps

10 ensemble members

Mixed integer problem: open or close the gates

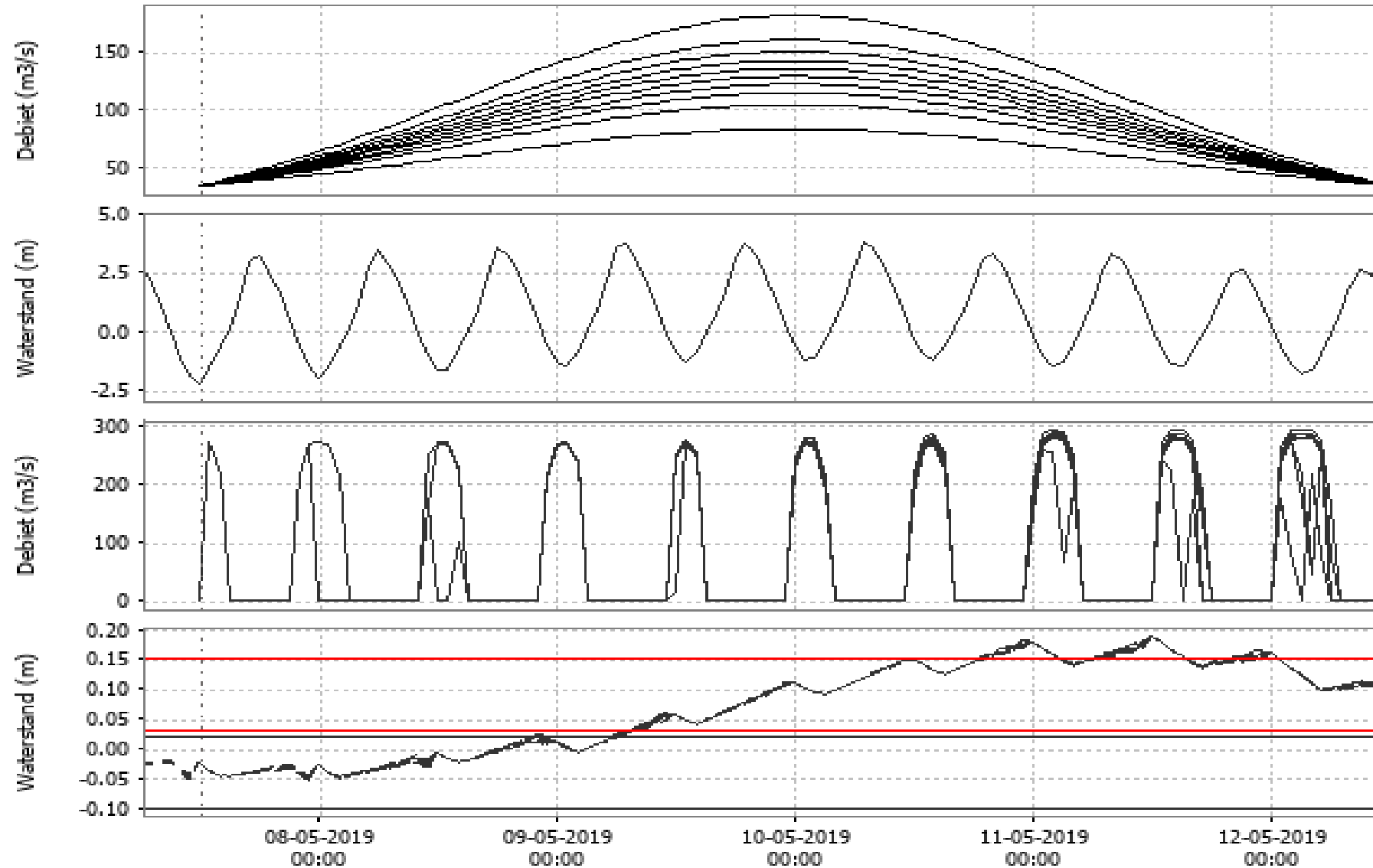
Closed-loop test: control model and test model is different!

Two inputs as ensembles



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MPC using ensembles

Deltares RTC-Tools

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